Linear Parameter Measurement (LPM)

S2

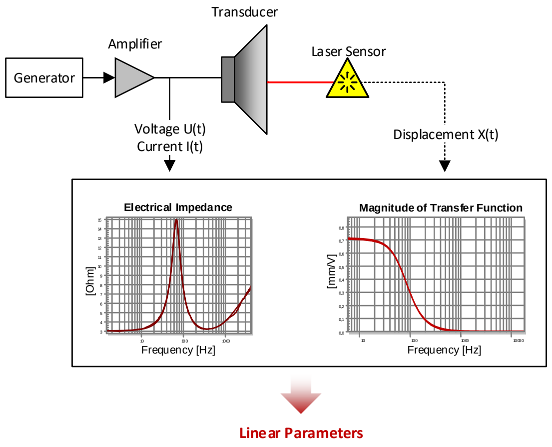
Module of the KLIPPEL ANALYZER SYSTEM (Document Revision 1.5, dB-Lab 212)

FEATURES

- Identifies linear transducer model (Thiele / Small parameters)
- Measures suspension creep
- Parameter fitting based on impedance
- Parameter fitting based on displacement (optional)
- Single-step measurement with laser sensor
- Two-step measurement with additional mass or test enclosure
- Multi-tone excitation for optimal SNR
- Monitors ratio of signal to noise + distortion (SNR+D) and noise floor
- Automatic validity check
- High reliability and reproducibility
- Fast measurements

The LPM module of the KLIPPEL Analyzer System is dedicated to identifying the electrical and mechanical small signal parameters of electro-dynamic transducers with high accuracy.

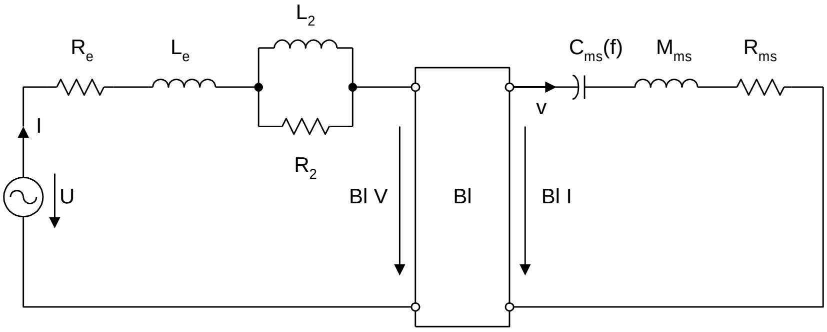
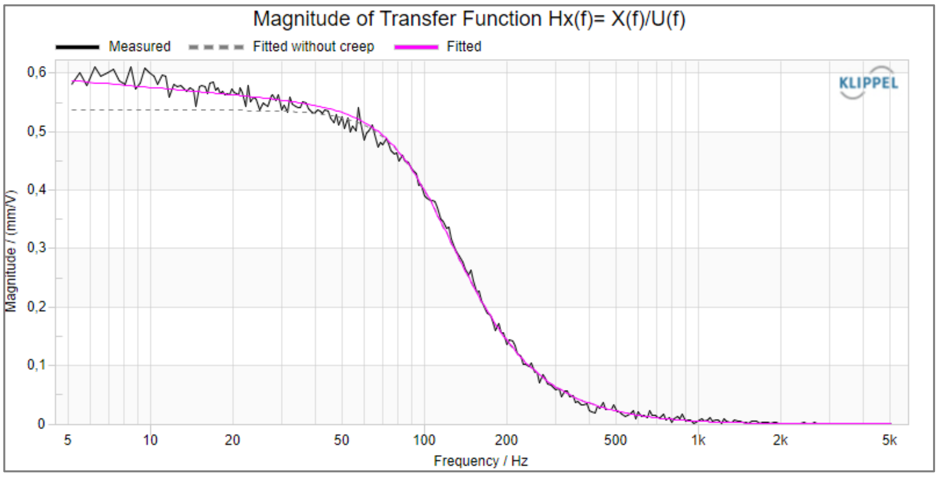
It is based on the electrical impedance by measuring the voltage and current at the speaker terminals. Enhanced by an optional laser displacement sensor, the identification does not require a second measurement and thus avoids common problems of the traditional two-step methods (e.g. added mass). An additional benefit of the displacement measurement is the identification the suspension creep parameters, resulting in better accuracy of the loudspeaker model at low frequencies. The LPM provides tools to identify and avoid typical problems such as poor signal to noise ratio and malfunction due to nonlinear effects of the driver or amplifier limiting.



Article Number:	1000-400

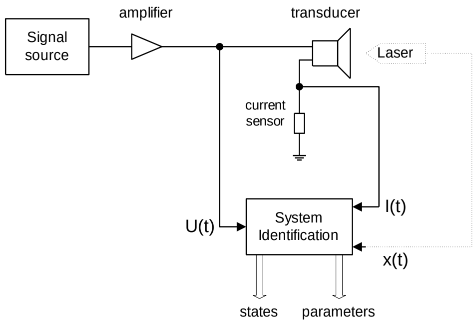
CONTENT

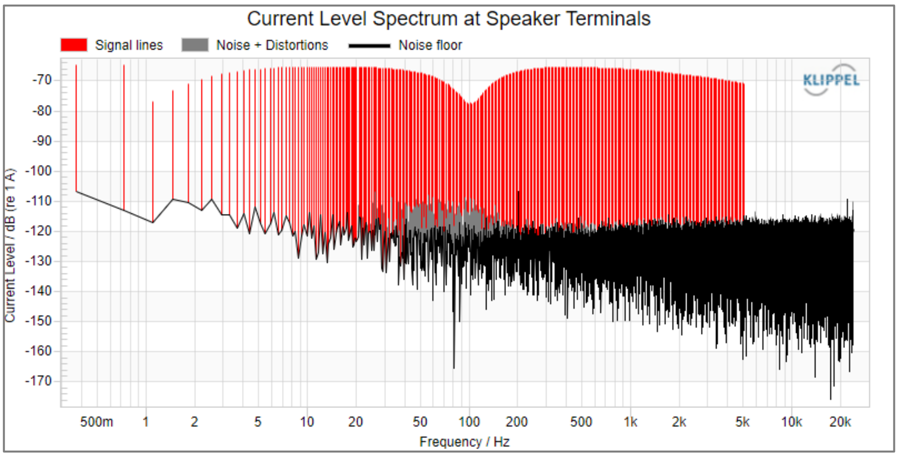
1 Linear Modeling of the Transducer

Principle	The transducers considered here have a moving-coil assembly performing an electro-dynamical conversion of the electrical quantities (current and voltage) into mechanical quantities (velocity and force) and vice versa.
Equivalent Circuit	 The lumped-parameter model shown above is valid at low frequencies where the geometrical dimensions of the transducer are small in comparison to the wave length. In this case the mechanical system may be represented by a moving mass M_{ms}, a compliance $C_{ms}(f)$ and a mechanical resistance R_{ms}. The force factor Bl couples the mechanical with the electrical side of the transducer. The electrical impedance is modeled by the electrical resistance R_e and additional elements L_e, L_2 and R_2 that describe the para-inductance and losses due to eddy currents. It is also assumed that the amplitude of all state variables is sufficiently low to neglect parameter variations caused by thermal and nonlinear mechanisms.
Suspension Creep	After applying a constant force to a loudspeaker suspension, the voice coil displacement slowly varies and will find the equilibrium after a few seconds (creep). This effect also affects the dynamic behavior and is visible in the transfer function $H_{x,u}(f)$ between voltage $U(f)$ and displacement $X(f)$ as shown below.  Below the resonance frequency f_S there is a significant difference between the magnitude of the measured response of $H_x(f)$ and the predicted response using the traditional model. To consider the creep effect the constant parameter compliance C_{ms} is replaced by the dynamic transfer function [1]: $$C_{ms}(f) = C_{ms}\left[1 - \lambda\, log_{10}\left(\frac{f}{f_S}\right)\right]$$

	where C_{ms} is the linear compliance and f_s is the driver resonance frequency. There is a straight forward interpretation of the creep factor λ. The quantity $\lambda \cdot 100\%$ indicates the decrease of the compliance C_{ms} in percent at low frequencies. For a frequency one decade below the resonance frequency f_s the compliance C_{ms} is decreased by $\lambda \cdot 100\%$. [1] Knudsen, M. H. and Jensen, J. G. *Low-frequency loudspeaker models that include suspension creep.* J. Audio Eng. Soc., Vol. 41, No. 1 / 2, 1993
Operating Condition	The Linear Parameter Measurement can be applied to drivers operated in free air or mounted in a sealed enclosure. An additional mass may be applied to the moving assembly of the transducer.

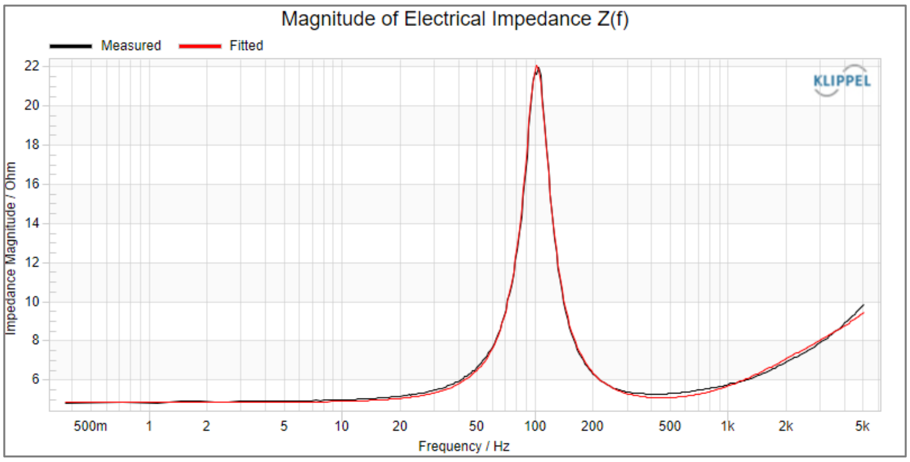
2 Measurement Technique

Principle	 The parameters of the linear transducer model are identified by measuring the electrical voltage *U(t)* and current *I(t)* at the transducer terminals. The linear parameters are identified by fitting the model to the measured impedance curve over the full frequency range.
Minimal Setup	- Distortion Analyzer (DA) or KLIPPEL Analyzer 3 (KA3 (A)LSX) - Power amplifier or KA3 *Amplifier Card* - Laser displacement sensor (optional) - PC
Excitation Signal	The stimulus used during the measurement is a sparse multi-tone complex spaced logarithmically over frequency. This signal is optimal for the parameter identification at small amplitudes because the transducer is only excited at frequencies of interest. The user may specify the amplitude and the frequency range covered by the tones and their distance (relative resolution). Furthermore, either the voltage at the output connector (OUT 1) or the voltage at the terminals of the speaker connected to output SPEAKER 1 (SPEAKER 2) may be specified. In the latter case the amplifier gain is determined at 750 Hz without load prior to the main measurement and the excitation level is adjusted accordingly. Also, the amplifier low frequency roll-off is determined and compensated for the two lowest frequency lines.
Acquisition	The state variables are acquired at sample rates up to 48 kHz. Optionally, averaging of the periodically measured time signals improves the signal to noise ratio.
Spectral Analysis	All of the measured signals are subject to an FFT analysis. The resulting spectra show the fundamental response of the sparse multi-tone signal as well as the distortion generated by the transducer or amplifier and residual measurement noise.



Parameter Estimation

All excited frequencies of the measured impedance response are used for the identification of the electrical parameters, the resonance frequency and for the loss factors of the mechanical system. The estimated response (red line) based on the identified model is displayed together with the measured response (black line) to show the quality of the fitting.



Using Added Mass or Test Enclosure

The Linear Parameter Measurement module also supports the traditional two-step techniques for the estimation of the mechanical parameters. They require a second (perturbed) measurement where the transducer is either mounted in a test enclosure or an additional mass is attached to it.

Optional Laser Sensor

Both perturbation techniques are time consuming and the accuracy of the results may be impaired by leakage of the enclosure and problems due to the attachment of the mass. There are also transducers where neither of the techniques can be applied.

A laser sensor based on optical triangulation may be used instead to measure voice coil displacement directly. The measured transfer function $H_{x,u}(f)$ between terminal voltage $U(f)$ and displacement $X(f)$ is used to estimate the mechanical parameters. Considering the creep effect at low frequencies gives a good agreement between measured response (black curve) and the modeled response (pink line).

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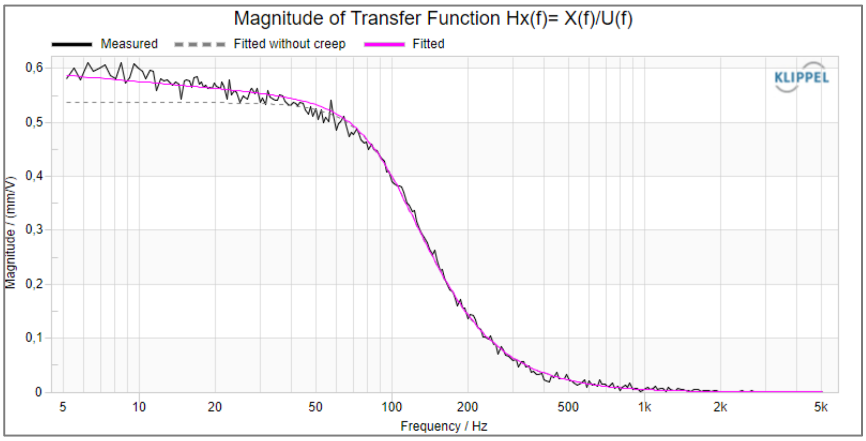

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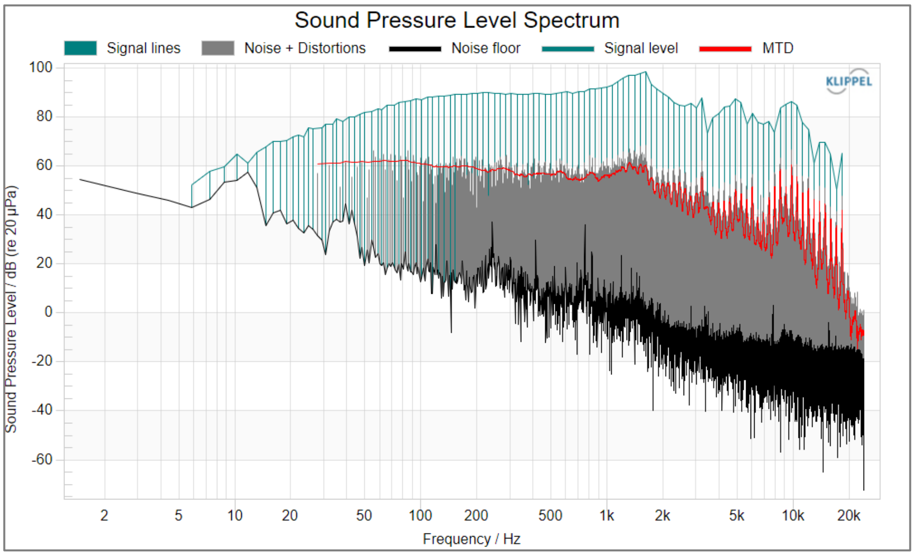
<tr><td>Acoustical Environment</td><td>The influence of the room acoustics on the driver parameters are negligible for a normal room size (volume > 30 m^3) and a distance of at least 1 m to the walls.</td></tr>
<tr><td>Sound Pressure Response</td><td>
Optionally, a microphone can be connected to the analyzer hardware in order to measure radiated sound pressure simultaneously. The sparse multi-tone complex allows to separate the speaker distortion. This way a unique fingerprint of the speaker is obtained. Furthermore, the symptoms of driver nonlinearities can be identified directly



In the example above the speaker produces substantial distortion which exceed 10 % at all frequencies for high excitation levels (large signal domain). This kind of distortion are produced by motor nonlinearities whereas stiffness distortion are restricted to low frequencies and inductance and Doppler distortion increase by 6 dB toward higher frequencies.

<i>Note: The LPM has been replaced by the MTON – Multi-tone Measurement module for acoustical measurements using multi-tone signals.</i>
</td></tr>
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3 Ensuring Validity of the Results

Principle	The multi-tone complex used as excitation stimulus makes it possible to separate the fundamental components from signal distortion and the noise floor (pre-measurement). This information is the basis for detecting a malfunction operation on-line and to give warnings if amplifier and transducer are not connected properly.

Amplifier Check	A low signal to noise ratio of the voltage signal at the terminals indicates that the gain of the amplifier is too low. A humming component (50 / 60 Hz) due to a ground loop can also be found easily. The signal to distortion ratio shows a malfunction operation of the amplifier (such as limiting).
Small Signal Domain	If the signal to noise ratio in the measured current signal is too small then the number of averages has to be increased. If the signal to distortion ratio in the measured current signal is too small then the driver behaves nonlinear and the linear model becomes invalid.

4 Import Parameter

Parameter	Symbol	Min	Typ	Max	Unit
Transducer Parameters					
Effective area of the driver diaphragm.	S_d	0.01		10000	cm^2
Voice coil resistance at DC (optional)	R_e	0.1			Ω
Force factor (optional)	Bl	0.01			N/A
Moving mass (optional)	M_{ms}	0.1			g
Identification					
Method	• using laser displacement meter, additional mass or using test enclosure • optionally a shunt can be used to improve the signal to noise ratio for drivers with a low Q_{ts}				
Additional mass	M_{add}	1			g
Volume of sealed enclosure	V_{box}	0.5			dm^3 (l)
Shunt resistance	R_{shunt}	0	15		Ohm
Stimulus					
Highest frequency	f_{max}		2	18	kHz
Reference frequency	f_{ref}	0.19	25		Hz
Relative frequency resolution	$\Delta f/f_{ref}$	1/99	1/24	1	octave
Voltage at speaker terminal (power amplifier output voltage, RMS)		0 -200	0.3 -8.24	200 48.2	V dBu
Voltage at OUT 1 (power amplifier input voltage, RMS)		0 -200	0.02 -31.8	6.5 19.1	V dBu
Measurement					
Sensor terminal	Speaker 1 or Speaker 2				
Number of averages		1	16	128	

5 Results

Parameter	Symbol	Unit
DC resistance of driver voice coil	R_e	Ω
Lumped elements of para-inductance	L_e	mH
	R_2	Ω
	L_2	mH
Electrical resistance due to mechanical losses	R_{es}	Ω
Electrical capacitance representing moving mass	C_{mes}	µF
Electric inductance representing driver compliance	L_{ces}	mH

Real part of voice coil impedance at f_s	$\mathfrak{R}\{Z_L(f_s)\}$	Ω
Mechanical mass of driver diaphragm assembly including air load and voice coil	M_{ms}	g
Mechanical resistance due to mechanical losses	R_{ms}	kg/s
Mechanical compliance of driver suspension	C_{ms}	mm/N
Creep factor	λ	
Mechanical stiffness of driver suspension	K_{ms}	N/mm
Force factor at the rest position (*Bl* product)	Bl	N/A
Derived Parameters		
Resonance frequency of driver	f_s	Hz
Total Q-factor of driver considering R_e and R_{ms} only	Q_{ts}	
Electrical Q-factor of driver in free air considering R_e only	Q_{es}	
Electrical Q-factor considering $\mathfrak{R}\{Z_L(f_s)\}$	Q_{eps}	
Total Q-factor considering all losses (R_e, R_{ms}, $\mathfrak{R}\{Z_L(f_s)\}$)	Q_{tp}	
Mechanical Q-factor of driver in free air considering R_{ms} only	Q_{ms}	
Reference efficiency of electro-acoustical conversion (2π-radiation load)	η_0	%
Characteristic sound pressure level	L_m	dB
Equivalent air volume of suspension	V_{as}	l
Resonance frequency of driver in enclosure	f_{ct}	Hz
Electrical Q-factor of driver in enclosure considering R_e only	Q_{ect}	
Resonance frequency of driver with additional mass	f_m	Hz
Waveforms		
Waveform of voltage at transducer terminals	$\mathrm{u}(t)$	V
Waveform of current at transducer terminals	$\mathrm{i}(t)$	A
Waveform of sound pressure	$p(t)$	Pa
Waveform of displacement	$x(t)$	mm
Spectra		
Voltage spectrum	$L_U(f)$	dB (re 1 V)
Current spectrum	$L_i(f)$	dB (re 1 A)
Sound pressure spectrum	$L_p(f)$	dB (re 20 µPa)
Displacement spectrum	$L_x(f)$	dB (re 1 mm)
Measured (laser/microphone) and fitted sound pressure level at 1W / 1m	$L_p(f)$	dB (re 20 µPa)
Transfer Functions		
Magnitude of measured and fitted electrical impedance	$\lvert\underline{Z}(\mathrm{f})\rvert$	Ω
Phase of measured and fitted electrical impedance $Z(f)$	$\arg(\underline{Z}(\mathrm{f}))$	rad
Magnitude of measured and estimated displacement transfer function	$\lvert\underline{H}_{x,u}(f)\rvert$	mm/V
States and Measurement Variables		
Peak to peak value of voltage at terminals	U_{pp}	V
DC part of voltage signal	U_{dc}	V
AC part of voltage signal	U_{ac}	V
Digital headroom of voltage signal	U_{head}	dB
Ratio of signal to noise + distortion in voltage signal	U_{SNR+D}	dB
Frequency of noise maximum in voltage signal	$f_{u,noise}$	Hz
Peak to peak value of current at terminals	I_{pp}	A
DC part of current signal	I_{dc}	A

AC part of current signal	I_{ac}	A
Digital headroom of current signal	I_{head}	dB
Ratio of signal to noise + distortion in current signal	$I_{\mathrm{SNR+D}}$	dB
Frequency of noise maximum in current signal	$f_{i,\mathrm{noise}}$	Hz
Peak to peak value of displacement signal	X_{pp}	mm
DC part of displacement signal	X_{dc}	mm
AC part of displacement signal	X_{ac}	mm
Digital headroom of displacement signal	X_{head}	dB
Frequency of highest valid line in displacement signal	$f_{x,\mathrm{cutoff}}$	Hz
Peak to peak value of microphone signal	p_{pp}	V
DC part of microphone signal	p_{dc}	V
AC part of microphone signal	p_{ac}	V
Digital headroom of microphone signal	p_{head}	dB
Ratio of signal to noise + distortion in microphone signal	$p_{\mathrm{SNR+D}}$	dB
Frequency of noise maximum in microphone signal	$f_{p,\mathrm{noise}}$	*Hz*

Find explanations for symbols at:

http://www.klippel.de/know-how/literature.html

Last updated: June 08, 2021